

```
xRange = {x, 0, 1000};
tRange = {t, 0, 200};
```

---

## Reaction Term

```
Q2 = d2 * (IP3 + d1) / (IP3 + d3);
wInf[c_] := Q2 / (Q2 + c);
mInf[c_] := (IP3 / (IP3 + d1) * c / (c + d5));
VIP3R[c_] := (mInf[c] * wInf[c]) ^ 3;
f[c_] := (fiVLeak + fiVIP3R * VIP3R[c]) * (cER - c) - fiVSERCA * c^2 / (c^2 + KSerca^2);
```

---

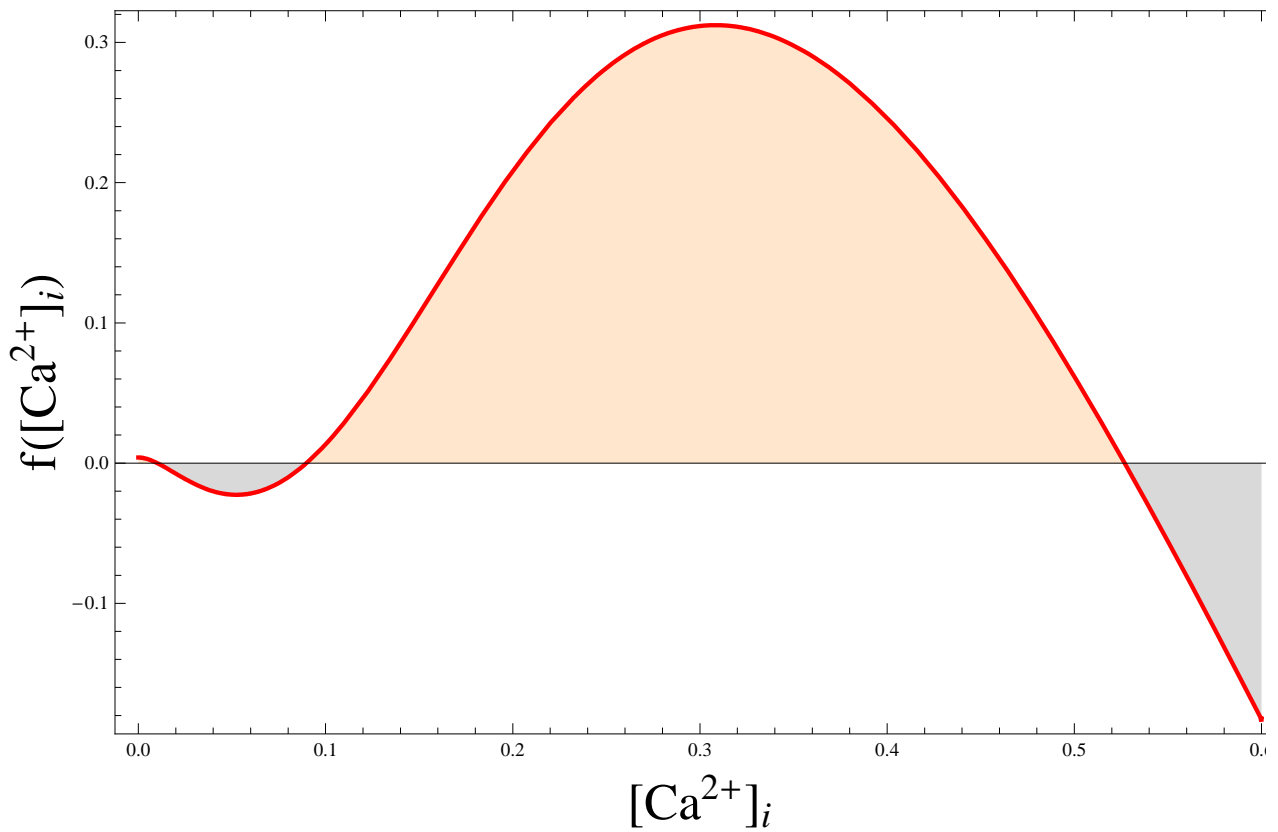
## Parameter Values

```
ParamRules = {fiVLeak -> 0.004, fiVIP3R -> 20, fiVSERCA -> 1.2, cER -> 1,
              KSerca -> 0.15, IP3 -> 0.7, a2 -> 0.2, d1 -> 0.1, d2 -> 2, d3 -> 0.2, d5 -> 0.2};
```

---

## Plotting Reaction Term

```
Plot[f[c] /. ParamRules, {c, 0, 0.6}, PlotStyle -> {Thick, Red},
     Filling -> Axis, FillingStyle -> {LightGray, LightOrange}, Frame -> True,
     FrameLabel -> {Style["[Ca2+]i", Large], Style["f([Ca2+]i)", Large]}, ImageSize -> {600, 400}]
```

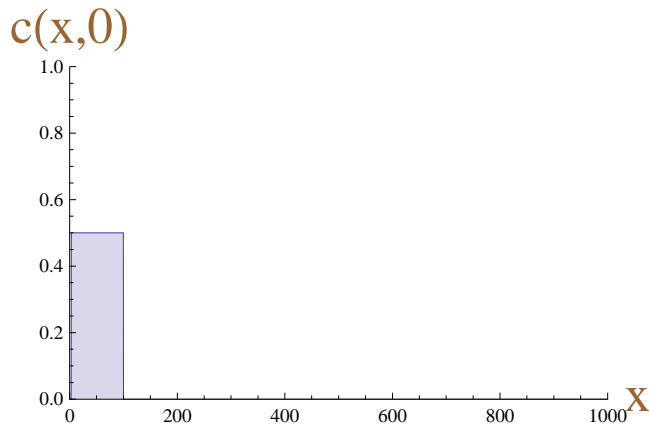


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## Step Initial Condition

```
StepInputSize = 0.5;
InitialConditionProfile = StepInputSize *
  (1/2 + 1/2 * Tanh[50 * Sqrt[1/2] * (x - 3)] - (1/2 + 1/2 * Tanh[50 * Sqrt[1/2] * (x - 100)]));

Plot[InitialConditionProfile, {x, 0, 1000}, PlotRange -> {{0, 1000}, {0, 1}},
  Filling -> Bottom,
  AxesLabel -> {StyleForm["x", Large, Brown], StyleForm["c(x,0)", Large, Brown]}]
```




---

## Setting Diffusion Coefficient and Solve PDE

```
CoeffD = 16.0;

NDSol = NDSolve[{∂t u[t, x] == CoeffD * ∂x,x u[t, x] + (f[u[t, x]] /. ParamRules),
  u[0, x] == InitialConditionProfile (* initial condition *),
  u[t, xRange // Last] == u[t, 0] (* periodic boundary condition *)},
  u,
  tRange, xRange,
  Method -> {"MethodOfLines", "SpatialDiscretization" -> {"TensorProductGrid"}}];

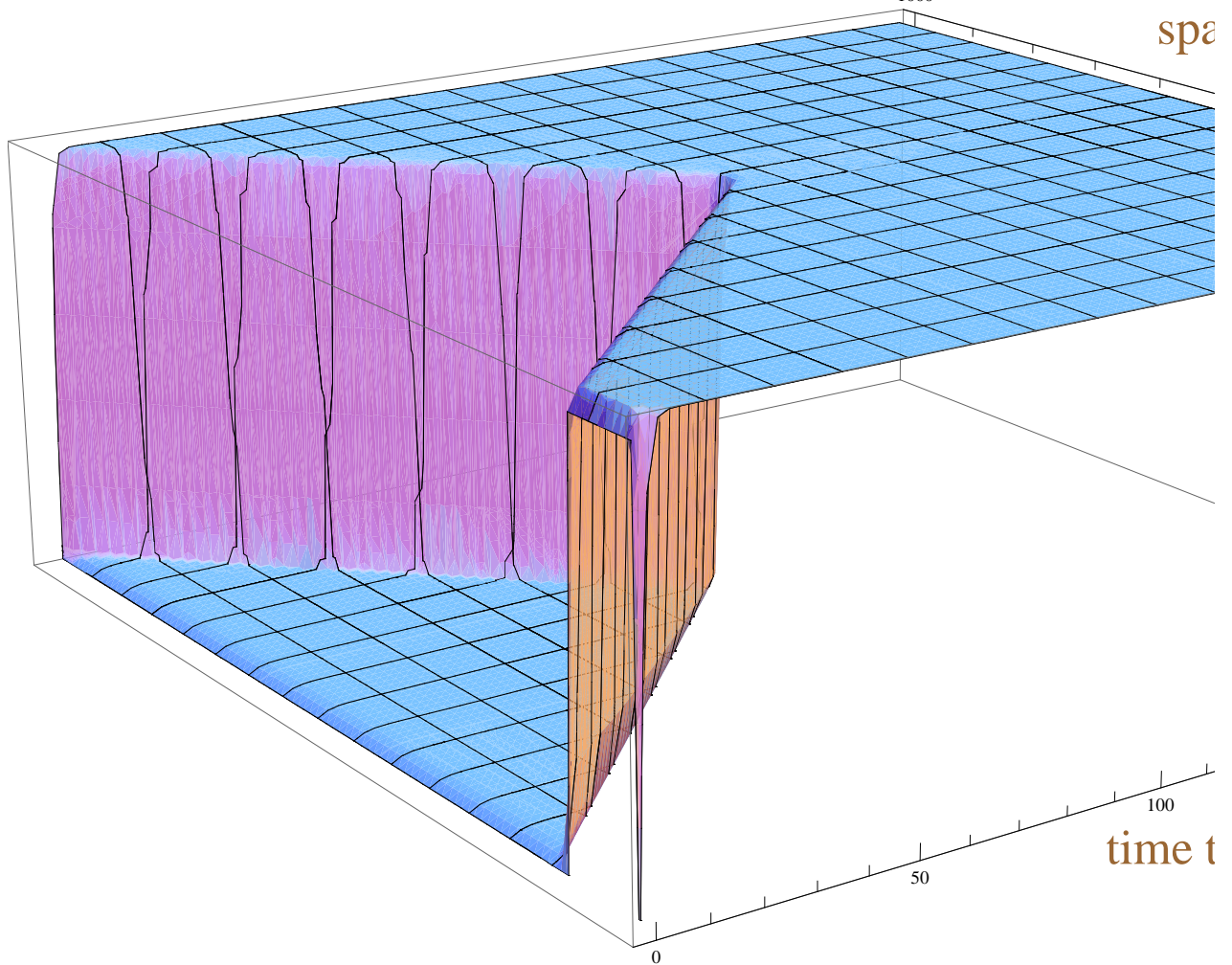
NDSolve::mxsst :
Using maximum number of grid points 10000 allowed by the MaxPoints or MinStepSize
options for independent variable x. >>
```

```

Plot3D[Evaluate[u[t, x] /. NDSol], {t, 0, tRange // Last}, {x, 0, xRange // Last},
PlotRange -> All, PlotPoints -> 100, AxesLabel -> {StyleForm["time t", Large, Brown],
StyleForm["space, x", Large, Brown], StyleForm["Conc., c(x,t)", Large, Brown]},
PlotLabel -> StyleForm["Diffusion Coefficient D = " <> ToString[CoeffD], Red, Large, Bold],
ImageSize -> {900, 500}]

```

**Diffusion Coefficient D = 16.**

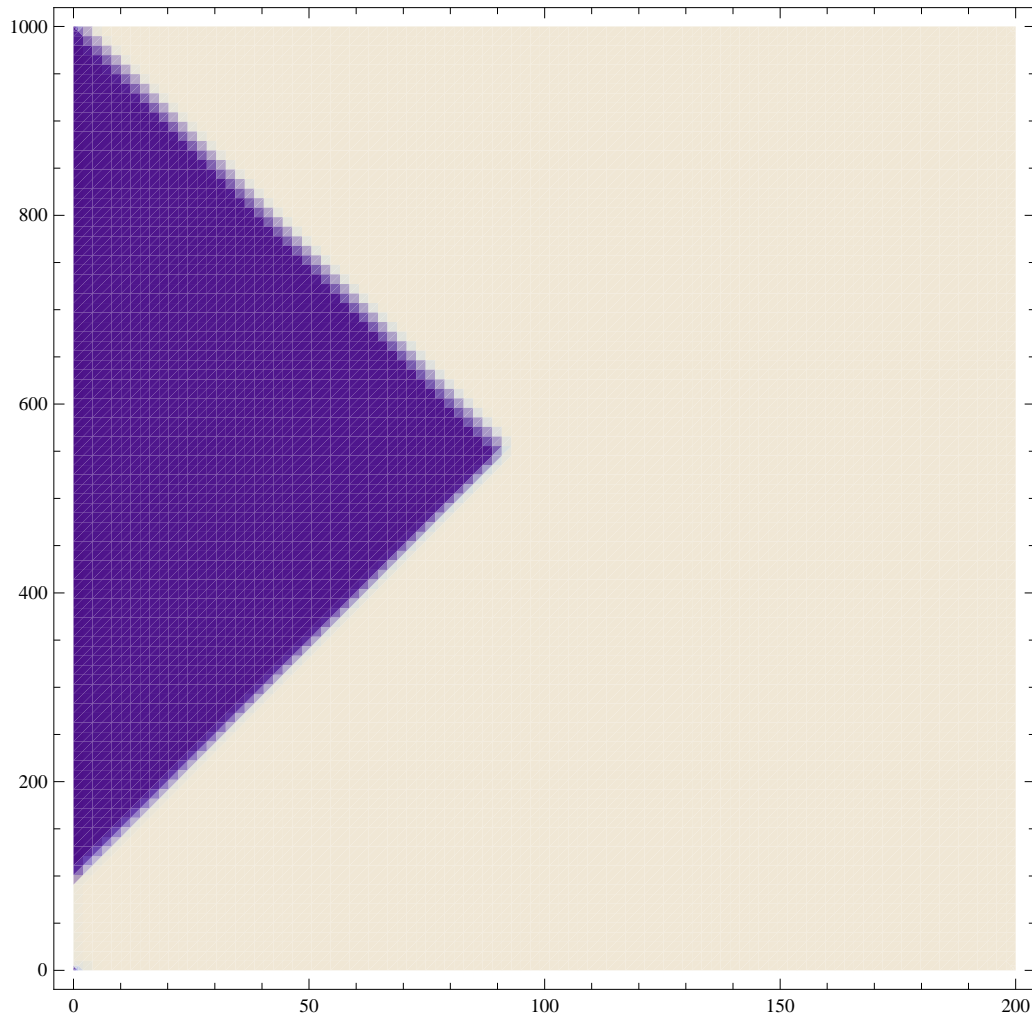


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## Density Plot

```
DensPlot1 =  
DensityPlot[Evaluate[u[t, x] /. NDSol], {t, 0, tRange // Last}, {x, 0, xRange // Last},  
PlotRange -> All, PlotPoints -> 100, AxesLabel -> {StyleForm["time t", Large],  
StyleForm["space, x", Large], StyleForm["Conc., c(x,t)", Large]},  
PlotLabel -> StyleForm["Diffusion Coefficient D = " <> ToString[CoeffD], Red, Large, Bold],  
ImageSize -> {500, 500}]
```

**Diffusion Coefficient D = 16.**



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## Comparison of Solution for Different Diffusion Constants

```
CoeffD = 16.0 / 4;
```

```

NDSol = NDSolve[{ $\partial_t u[t, x] = \text{CoeffD} * \partial_{x,x} u[t, x] + (f[u[t, x]] /. \text{ParamRules}),$ 
  u[0, x] == InitialConditionProfile (* initial condition *),
  u[t, xrange // Last] == u[t, 0] (* periodic boundary condition *)}, u,
  tRange, xrange,
  Method -> {"MethodOfLines", "SpatialDiscretization" -> {"TensorProductGrid"}}];

NDSolve::mxsst :
Using maximum number of grid points 10000 allowed by the MaxPoints or MinStepSize
options for independent variable x. >>

DensPlot2 =
DensityPlot[Evaluate[u[t, x] /. NDSol], {t, 0, tRange // Last}, {x, 0, xrange // Last},
  PlotRange -> All, PlotPoints -> 100, AxesLabel -> {StyleForm["time t", Large],
  StyleForm["space, x", Large], StyleForm["Conc., c(x,t)", Large]},
  PlotLabel -> StyleForm["Diffusion Coefficient D = " <> ToString[CoeffD], Red, Large, Bold],
  ImageSize -> {500, 500}];

GraphicsArray[{{DensPlot1, DensPlot2}}]

```

## Diffusion Coefficient D = 16.

